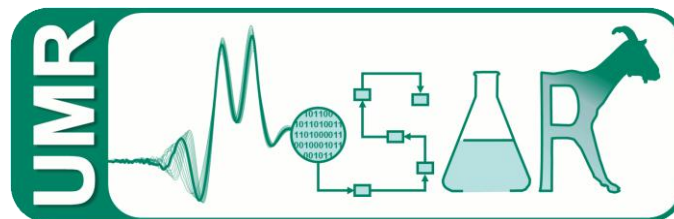


Towards a Systemic Use of Precision Livestock Measures and Precision Phenotyping in Dairy Herds

Nic Friggens and Vivi Thorup



INRA-AgroParisTech Research Unit:
Modélisation Systémique
Appliquée aux Ruminants



Where should we be heading?

- On-Farm monitoring
- Identifying events
 - e.g. clinical mastitis, oestrus, etc.
 - Usually using one measure/technology
- Anticipating events (e.g. André et al. 2011)
 - Probability of
 - Increasing need for multiple measures
- From monitoring to phenotyping

Why do we need precision phenotyping?

- Genomics
 - Massive increase in genotyping precision
 - Requires more precise phenotypes

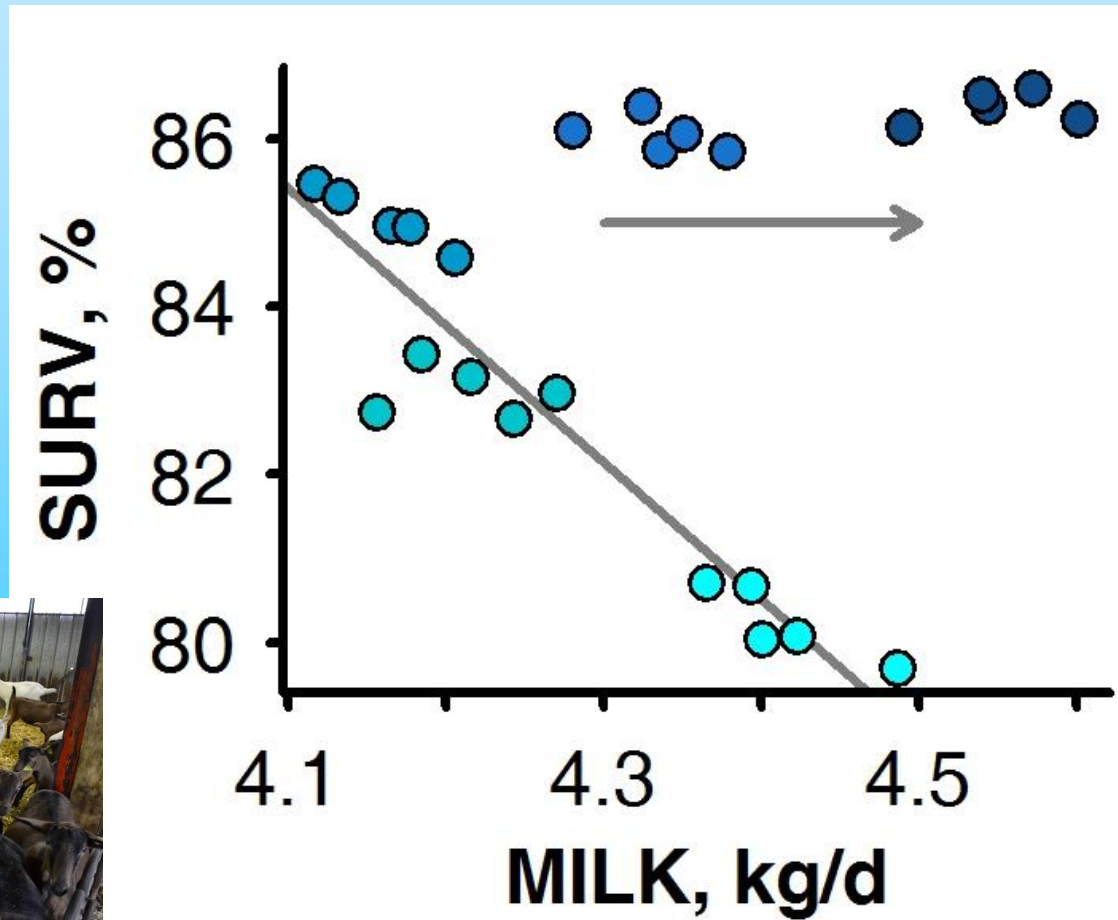
Example: Heritability (h^2) of reproductive traits

- Traditionally low $h^2 \sim 0.03$
- progesterone based $h^2 \sim 0.17$ (Royal et al)
- activity measures $h^2 \sim 0.17$ (Løvendahl and Chagunda)

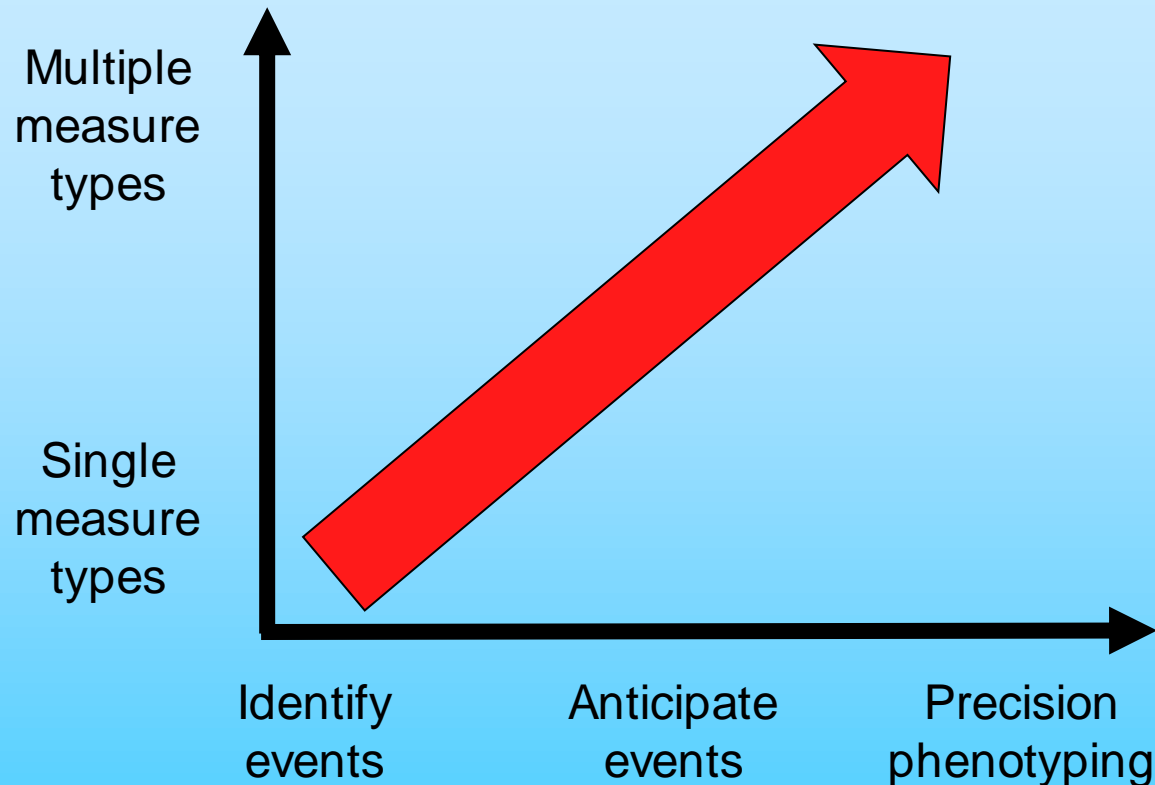
Why do we need precision phenotyping?

- Genomics
 - Massive increase in genotyping precision
 - Requires more precise phenotypes
- Opportunities to characterize more complex traits
 - Adaptive capacity, robustness, etc.
 - Realistic chance of selecting for these
 - These contribute to herd level resilience

Increased variability in age improves herd resilience



From monitoring to phenotyping



- Multivariate time-series statistics.....
- But also a clear view of the biological system

Low-hanging fruit example: Energy Balance

- Traditionally EBal measured as
 - Difference between Eintake – Eoutput
 - Only research farms measure individual intake
- $EBal = \text{Body E change}$
 - Negative EBal = body reserve mobilization
 - Positive EBal = body reserve accretion
- EBal can be measured from body reserves

EBal from lipid and protein reserves

$$\text{EBal} = \text{ec}_1(\text{dL}/\text{dt}) + \text{ec}_p(\text{dP}/\text{dt})$$

$$P = k(\text{LFEB})$$

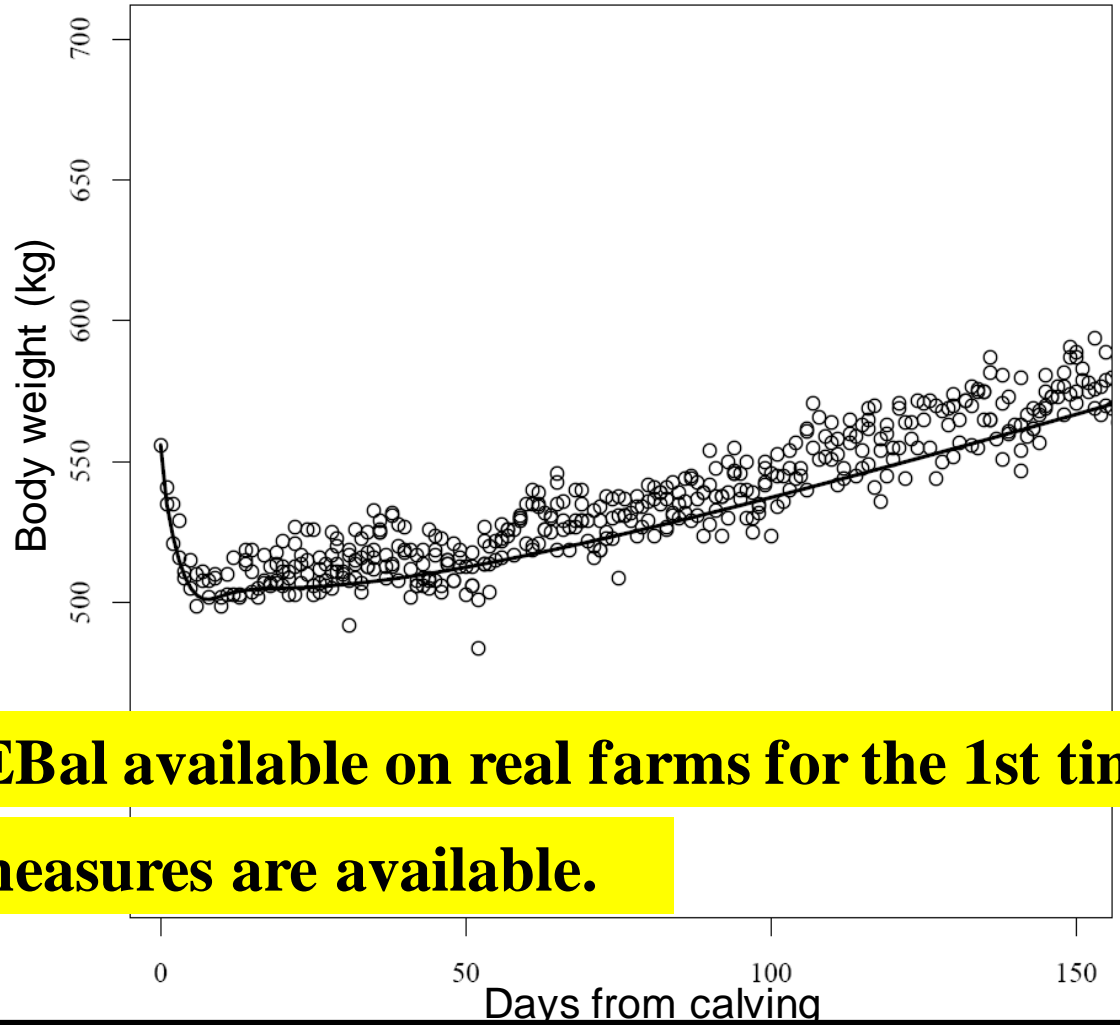
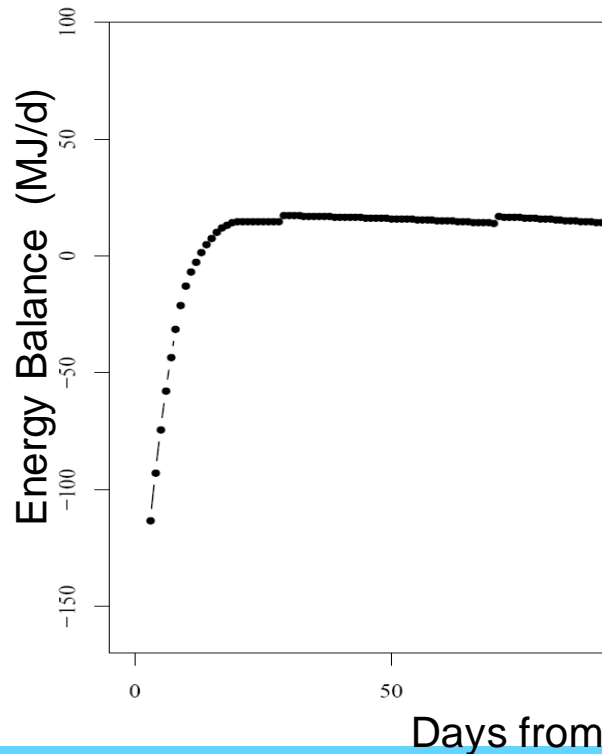
$$\text{LFEB} = \text{EBW} - L$$

$$L = \text{BFatContent} \times \text{EBW}$$

$$= (a + b.\text{CS}).\text{EBW}$$

$$\text{EBW} = \text{BW} - \text{Gutfill}$$

Energy balance derived from BW and CS



No need for intake. EBal available on real farms for the 1st time

Provided frequent measures are available.

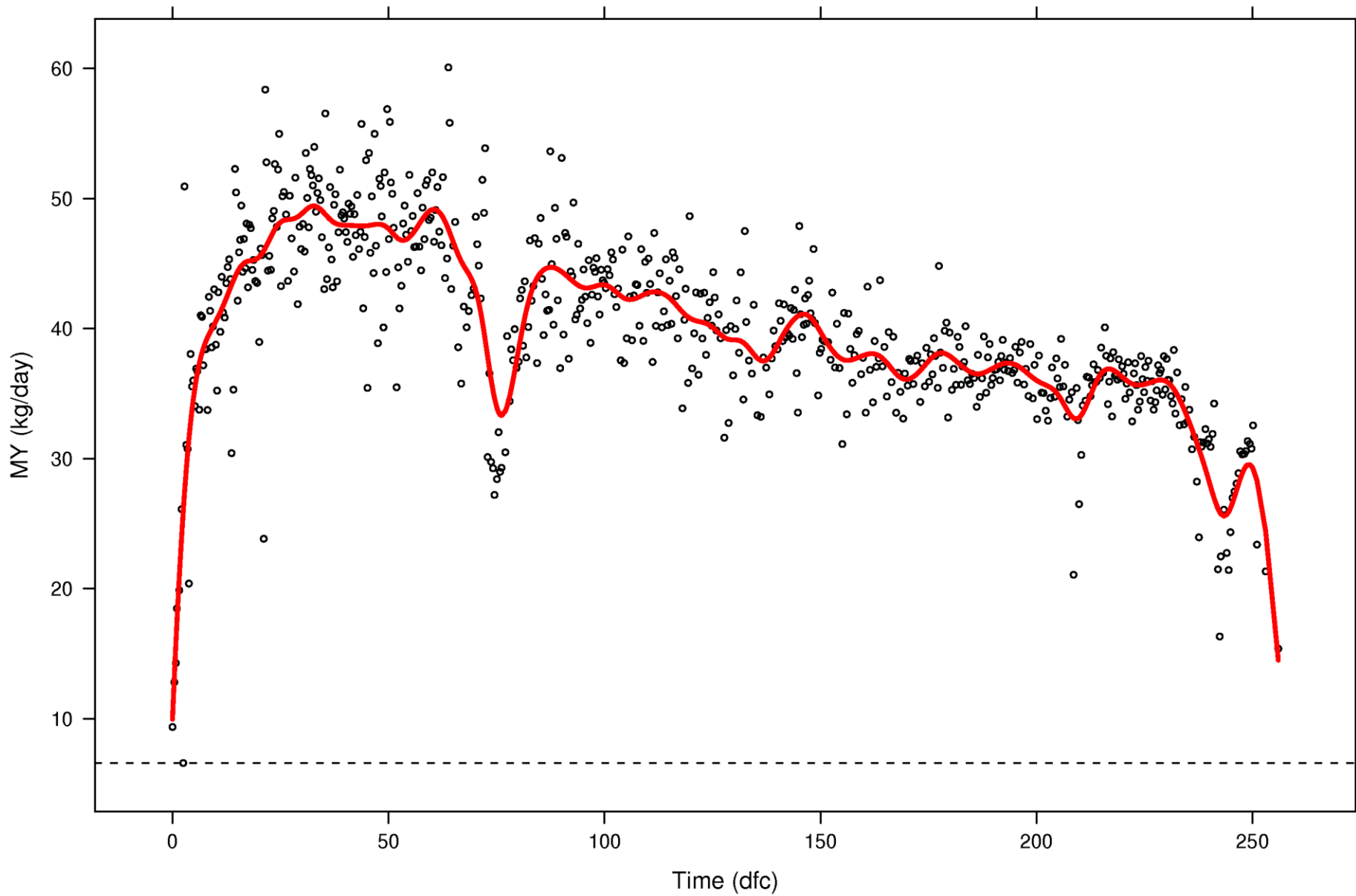
Biology vs Measures

- Biological phenomenon
 - Unlikely that one measure captures the whole phenomenon
 - Distributed across a number of measures
 - Likely that one measure reflects several phenomena
- Biological feature extraction
- Combine features to describe latent process

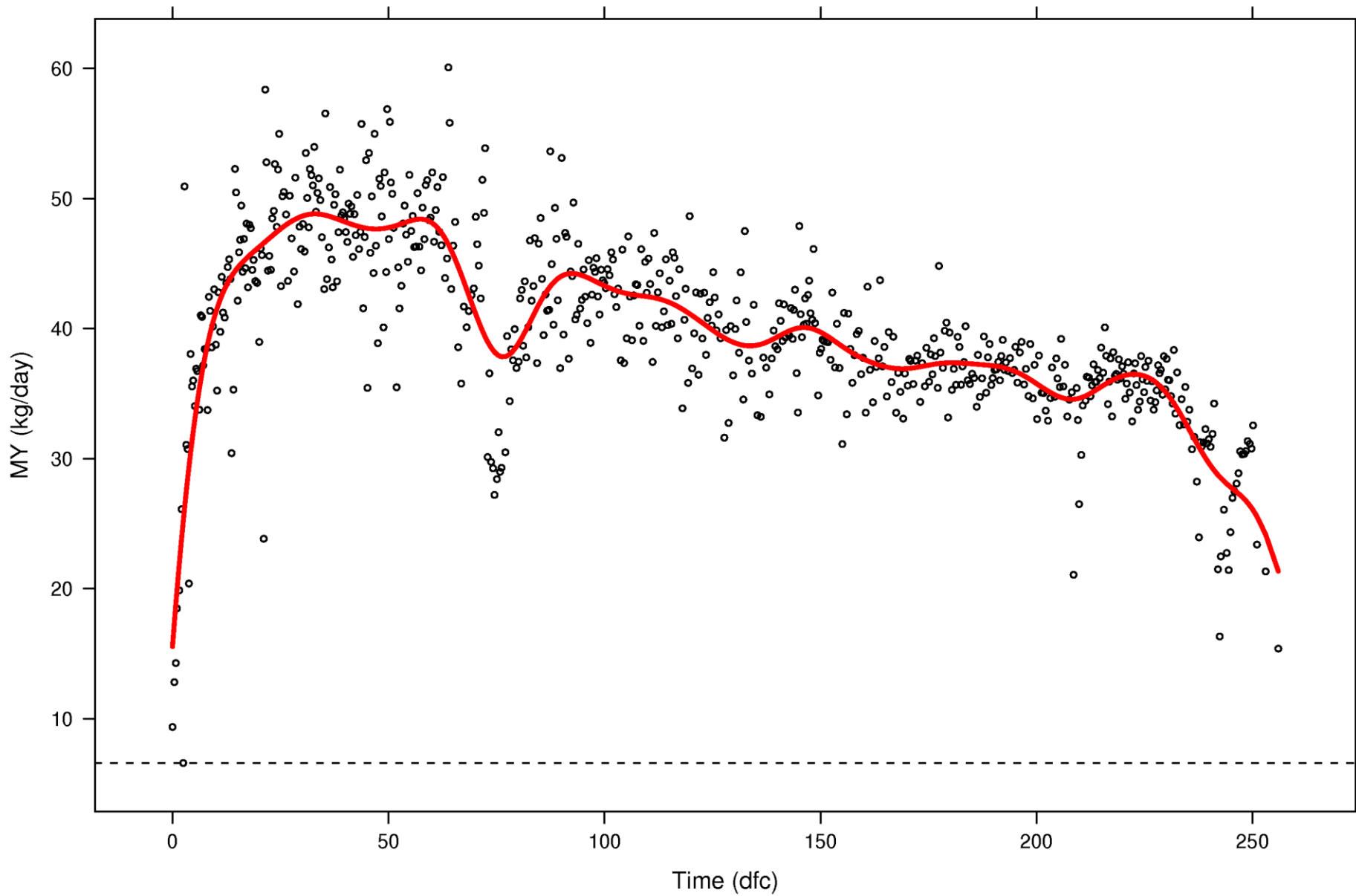
Two examples:

- Differential smoothing
 - Capture responses
 - Functional data analysis (Ramsay)
- Combining time-series measures
 - Latent process e.g. DOI
 - Real-time
 - State-space model

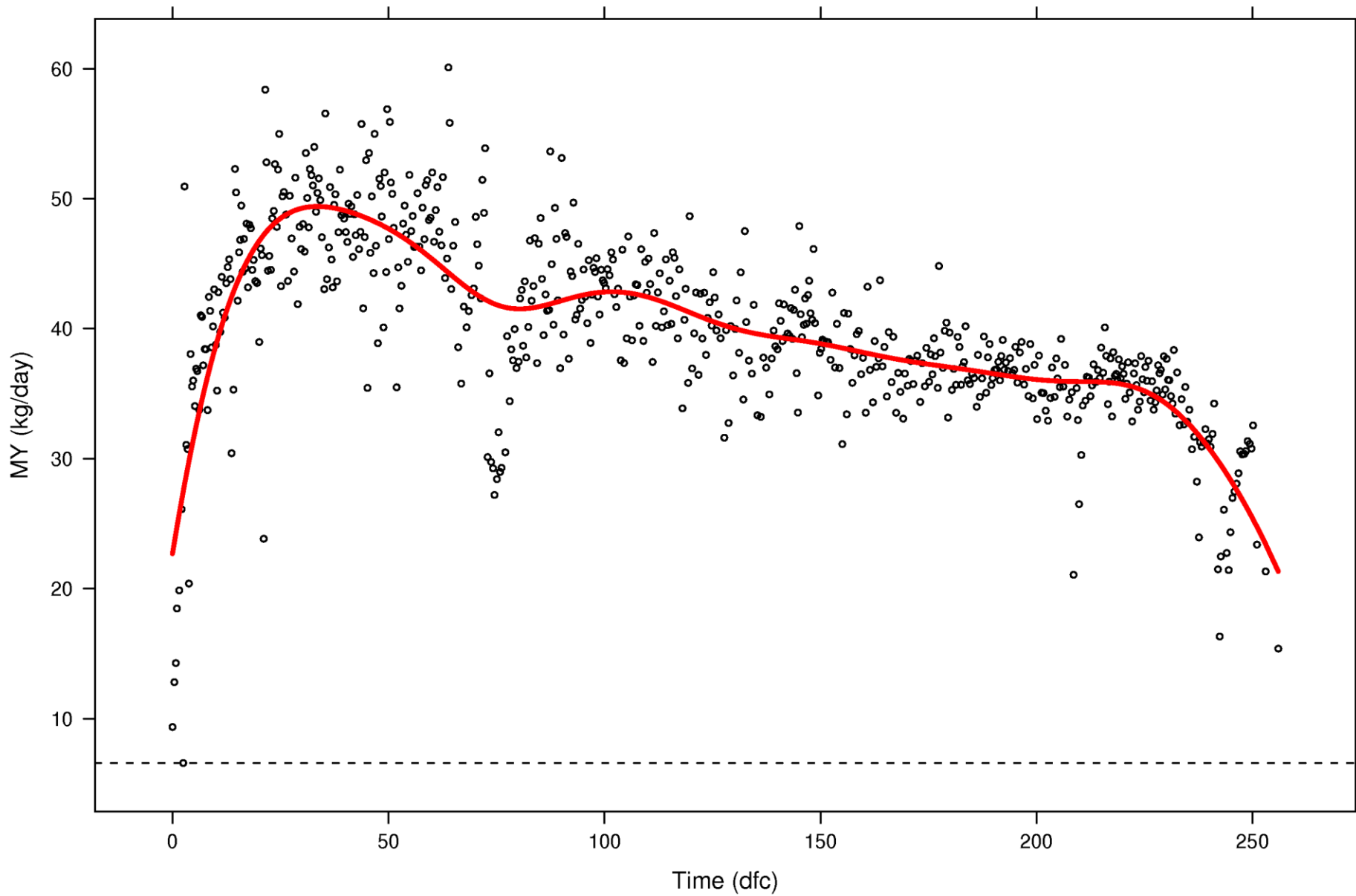
$\lambda = 1e2$ —



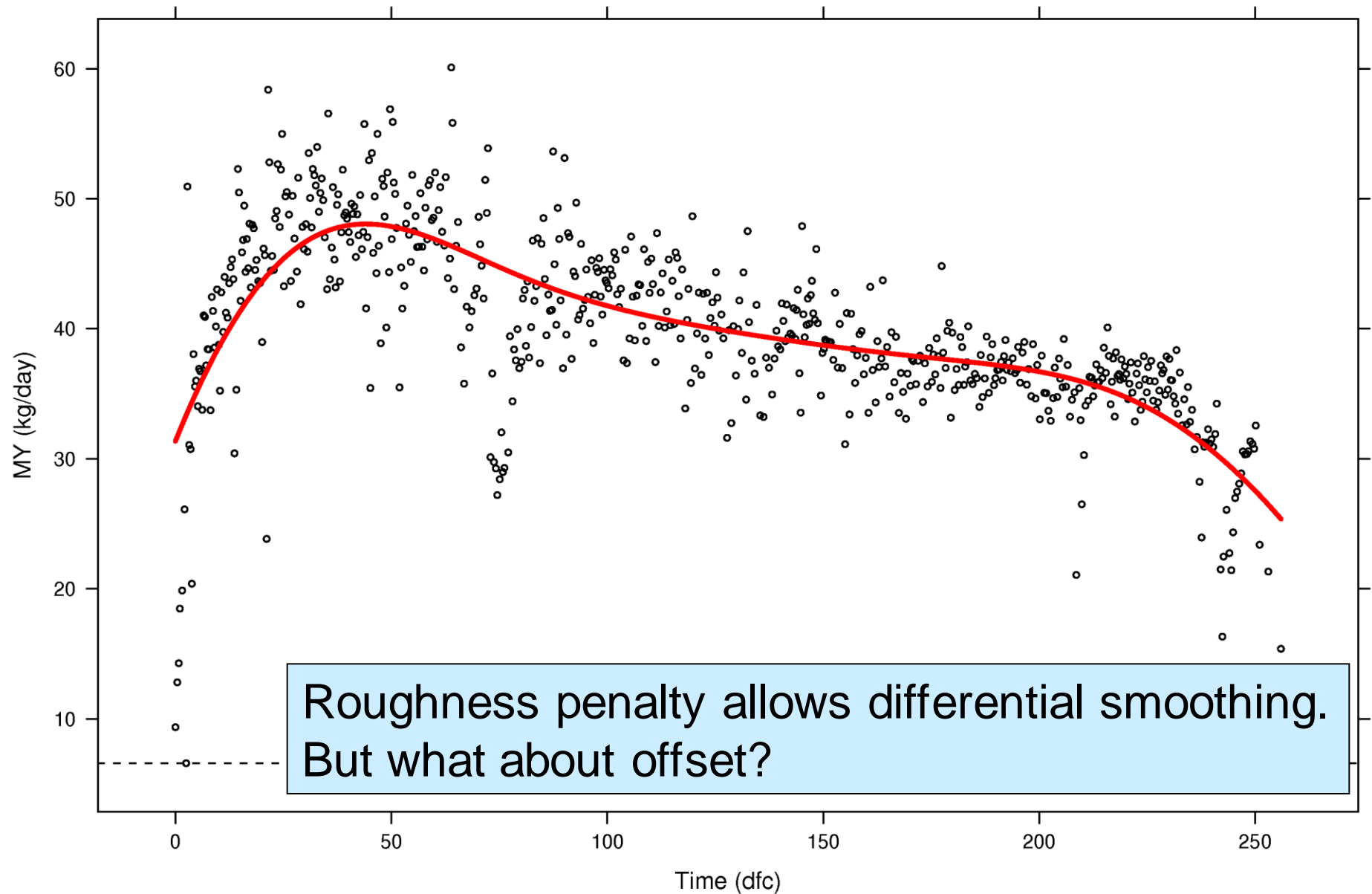
$\lambda = 1e4$ —

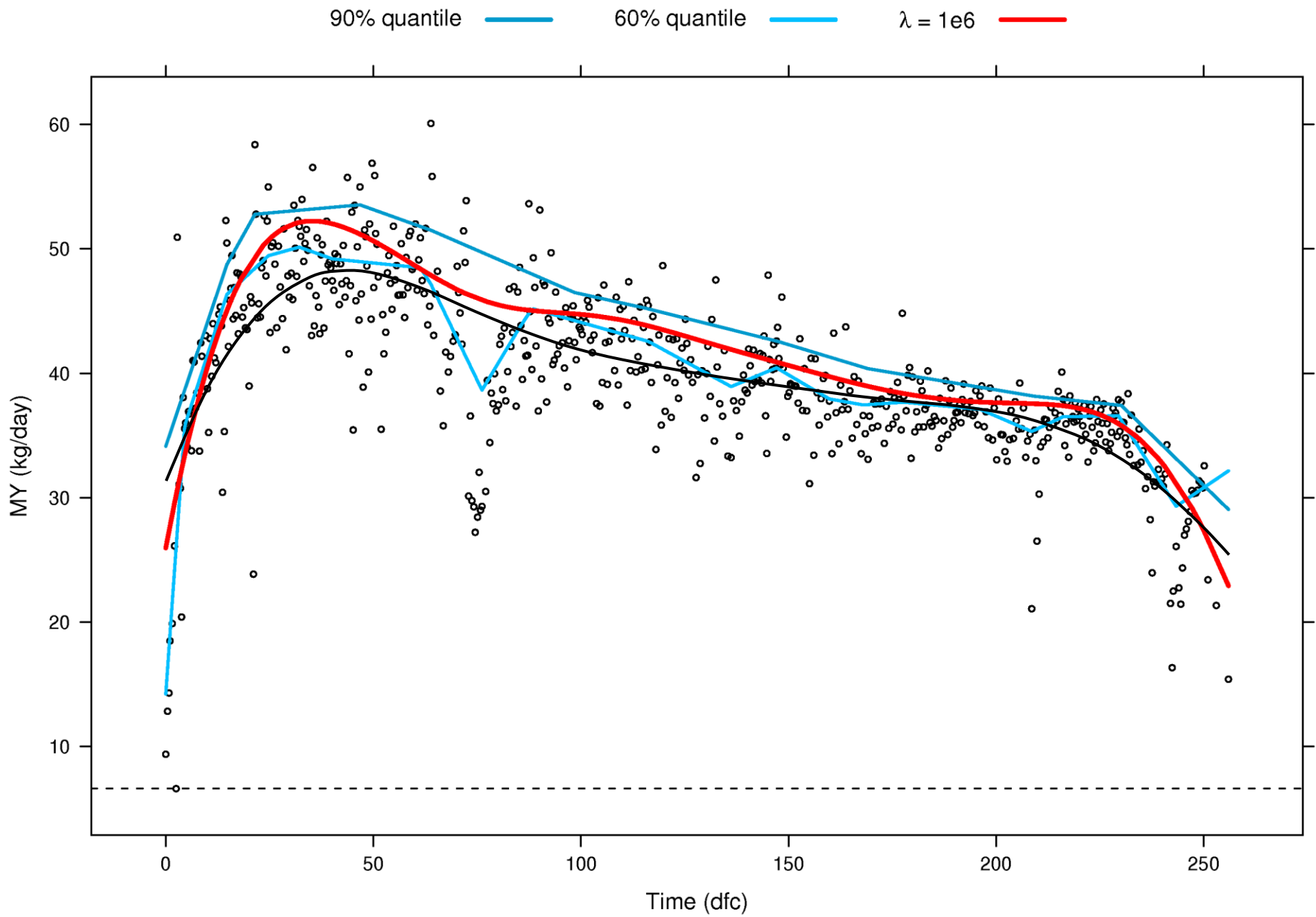


$\lambda = 1e6$ —



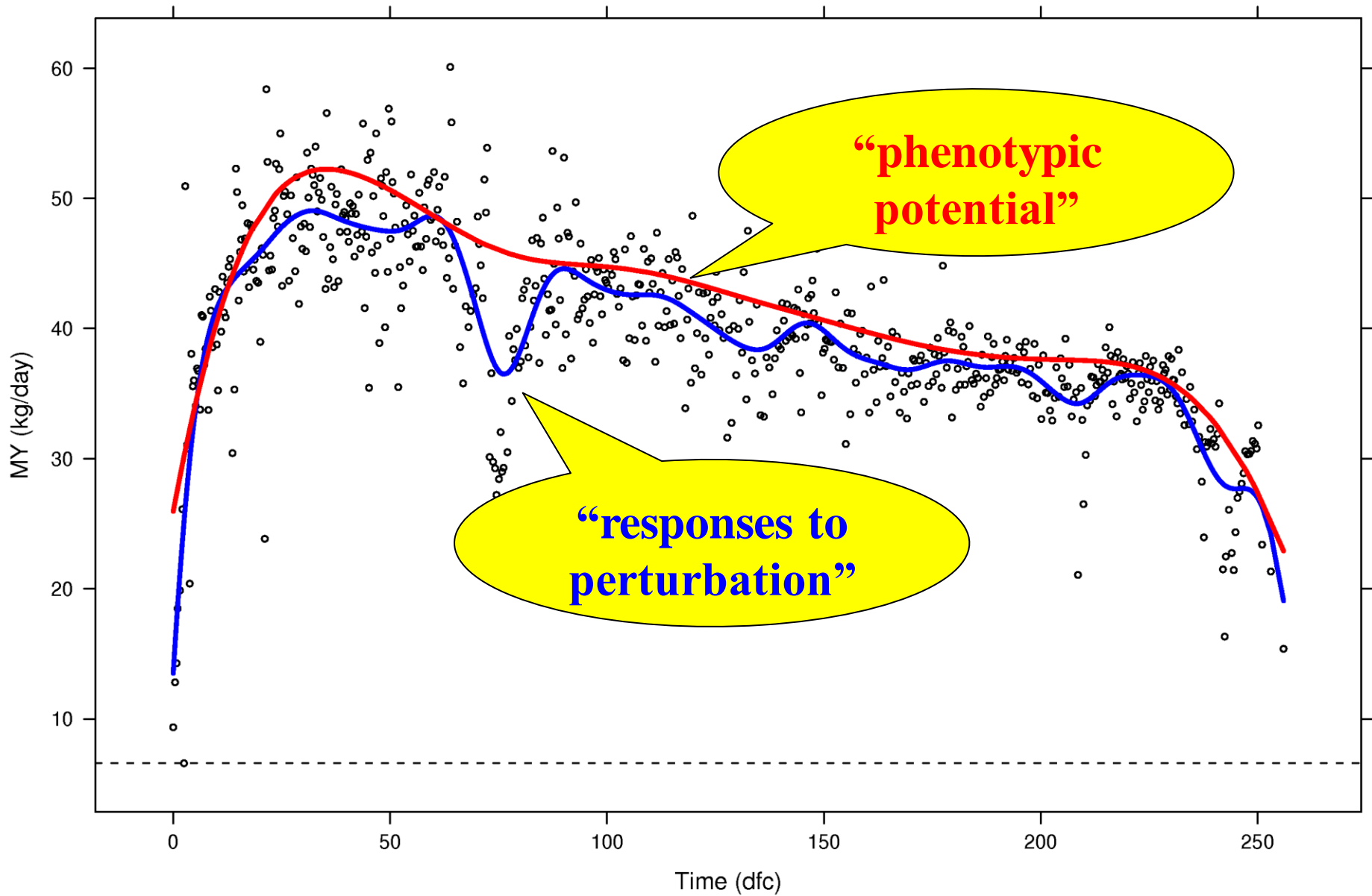
$\lambda = 1e8$ —





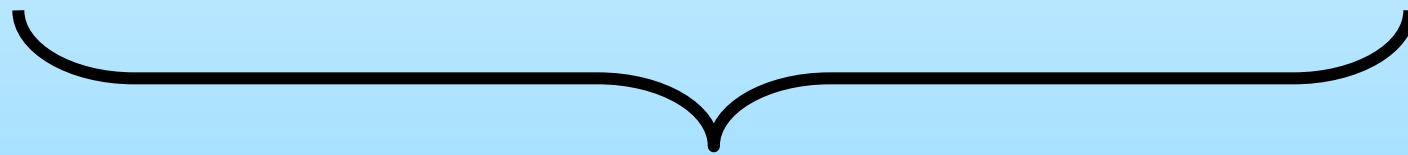
$\lambda = 1e6$; QR 60–90%

$\lambda = 2.5e3$



Differential smoothing
(roughness penalty)

Offsetting
(quantile regression)



Capture response
(amplitude, rate of recovery, etc.)
Describe underlying baseline

Requires acceptance of parameters
based on a biological rationale

Combining measures to describe a biological phenomenon: DOI

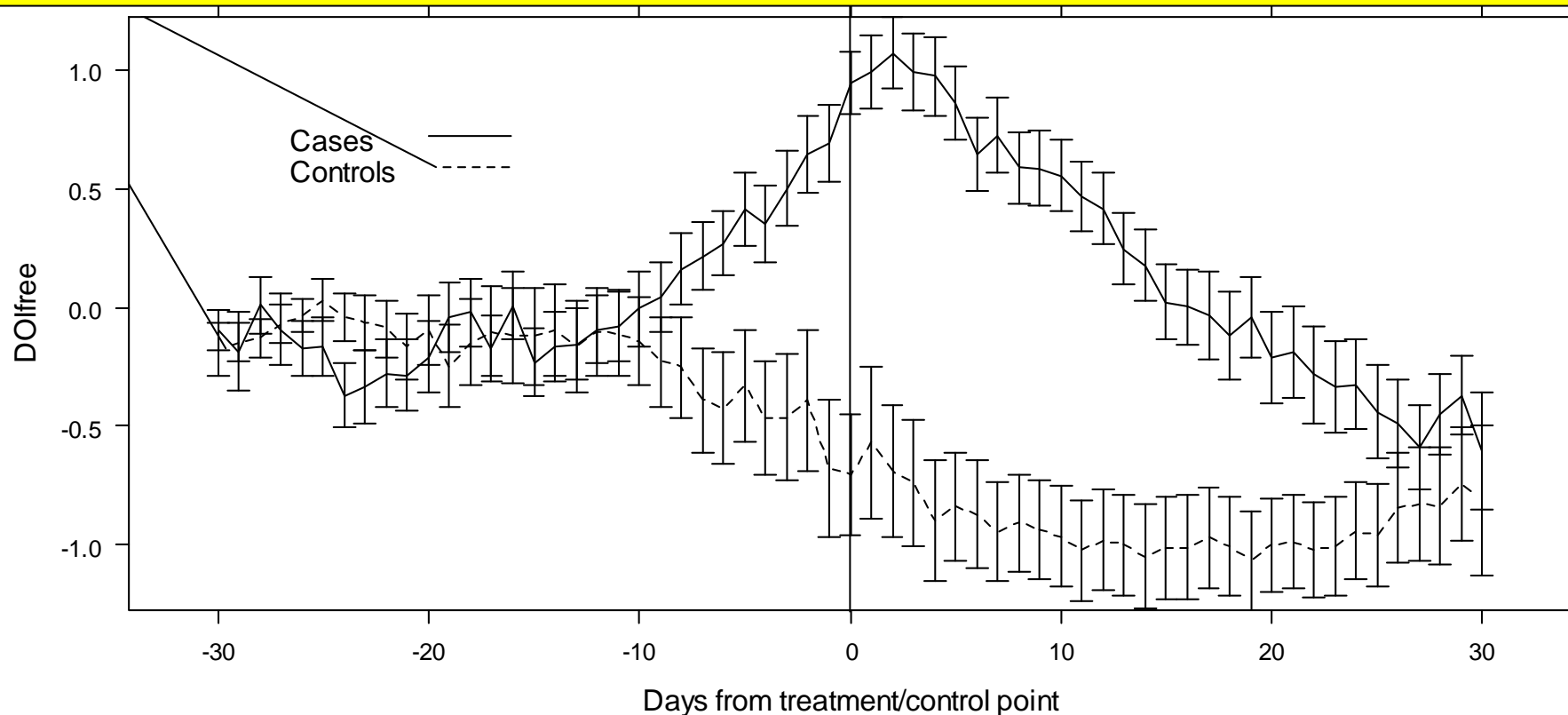
- Degree of Infection (DOI)
- Latent process reflected by mastitis indicators
 - Interquartile ratio electrical conductivity
 - Log SCC
 - LDH

$$y^k(t_j) = \beta^k(t_j) + \lambda^k \text{DOI}(t_j) + v^k(t_j)$$

- $\beta^k(t_j)$ Long-term trend
- $r^k(t_j)$ Short-term fluctuation
- $v^k(t_j)$ Error term
- λ^k Proportionality constant

DOI distinguishes mastitis cows 5 days prior to treatment

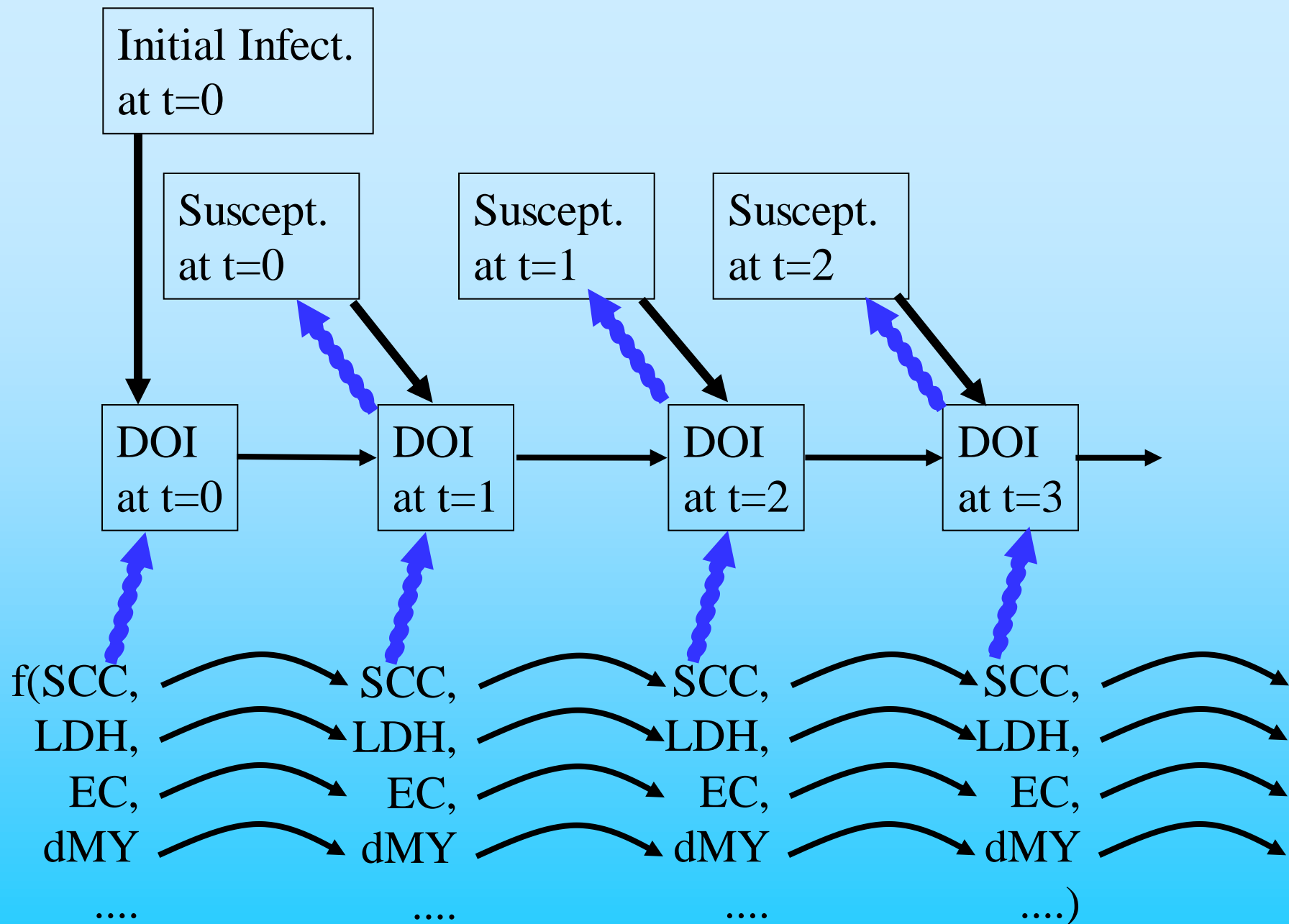
The notion of “degree of” is biologically sensible



58 cases, 71 controls. Matched for stage of lactation, parity, etc.

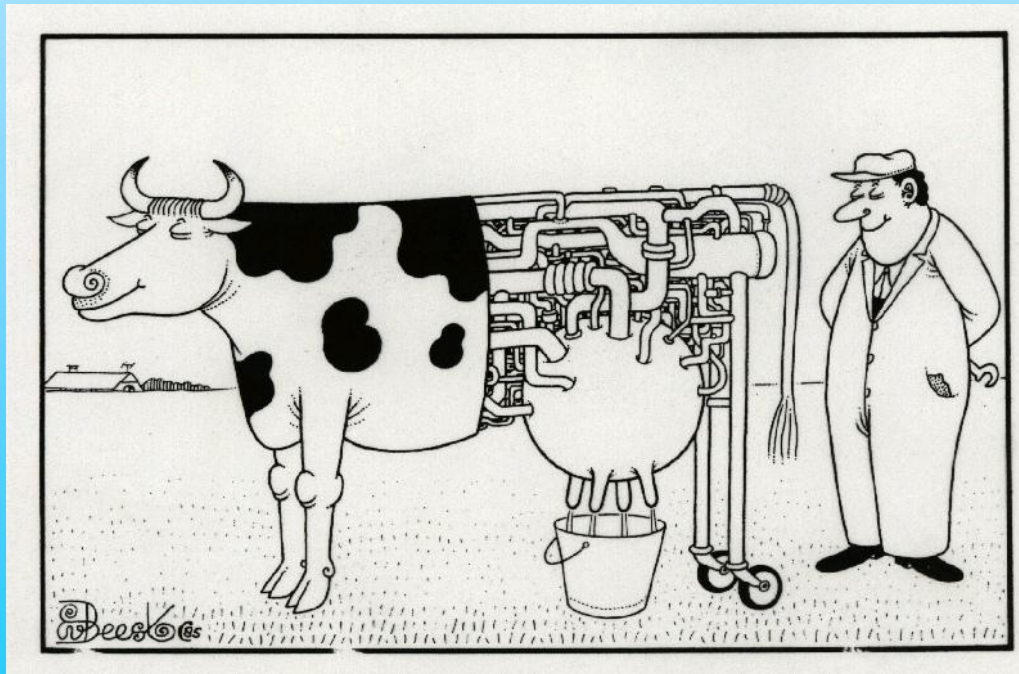
Degree of Infection

- Combining different measures
 - Strengthens the indicator
 - Captures multiple facets of infection
- The notion of “degree of”
 - Makes early anticipation easier
 - Gets away from the limitations of classifications (healthy vs sick)
 - Much better reflects the biology of the system



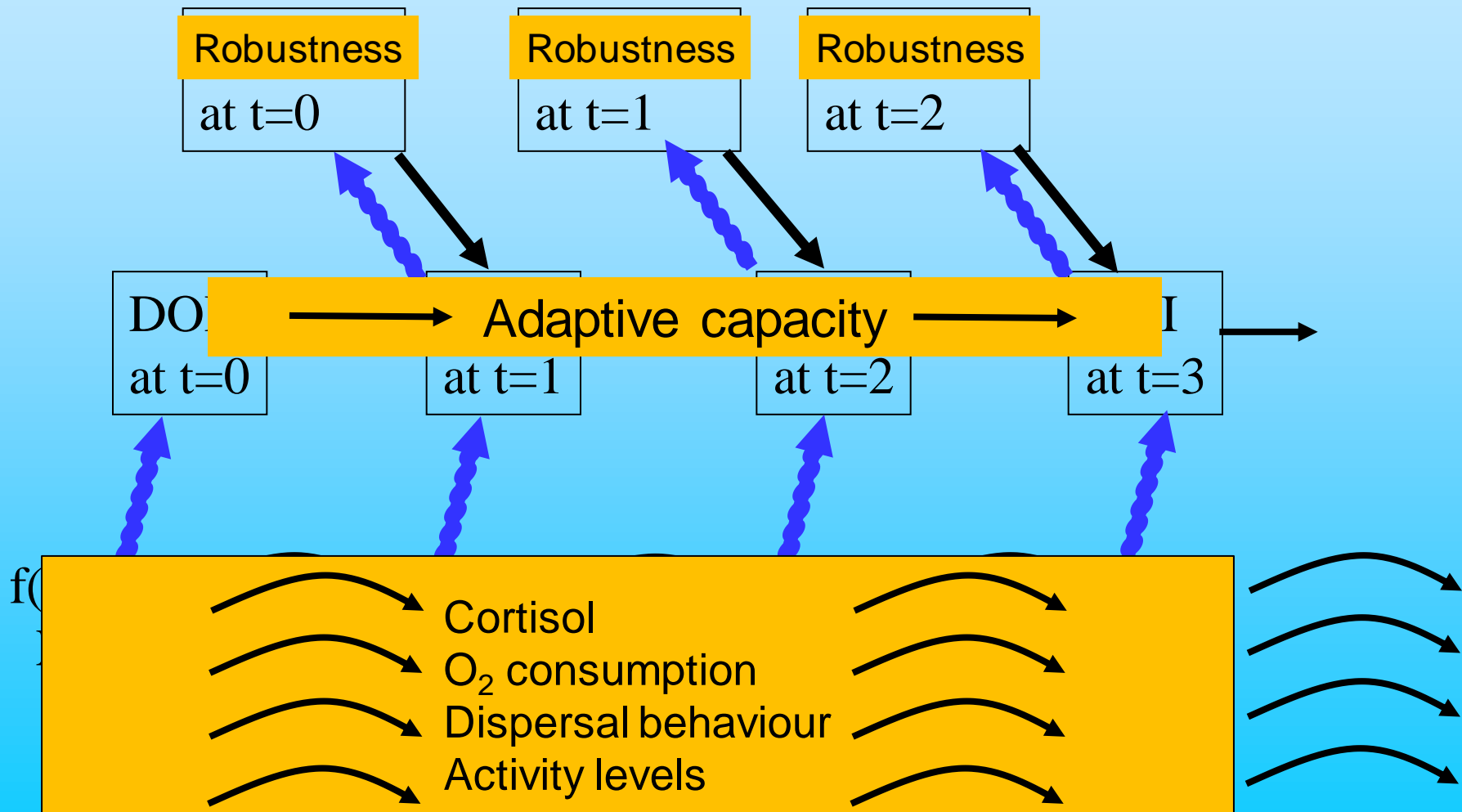
Towards Precision Phenotyping

- The above examples are generalisable representations of biological systems



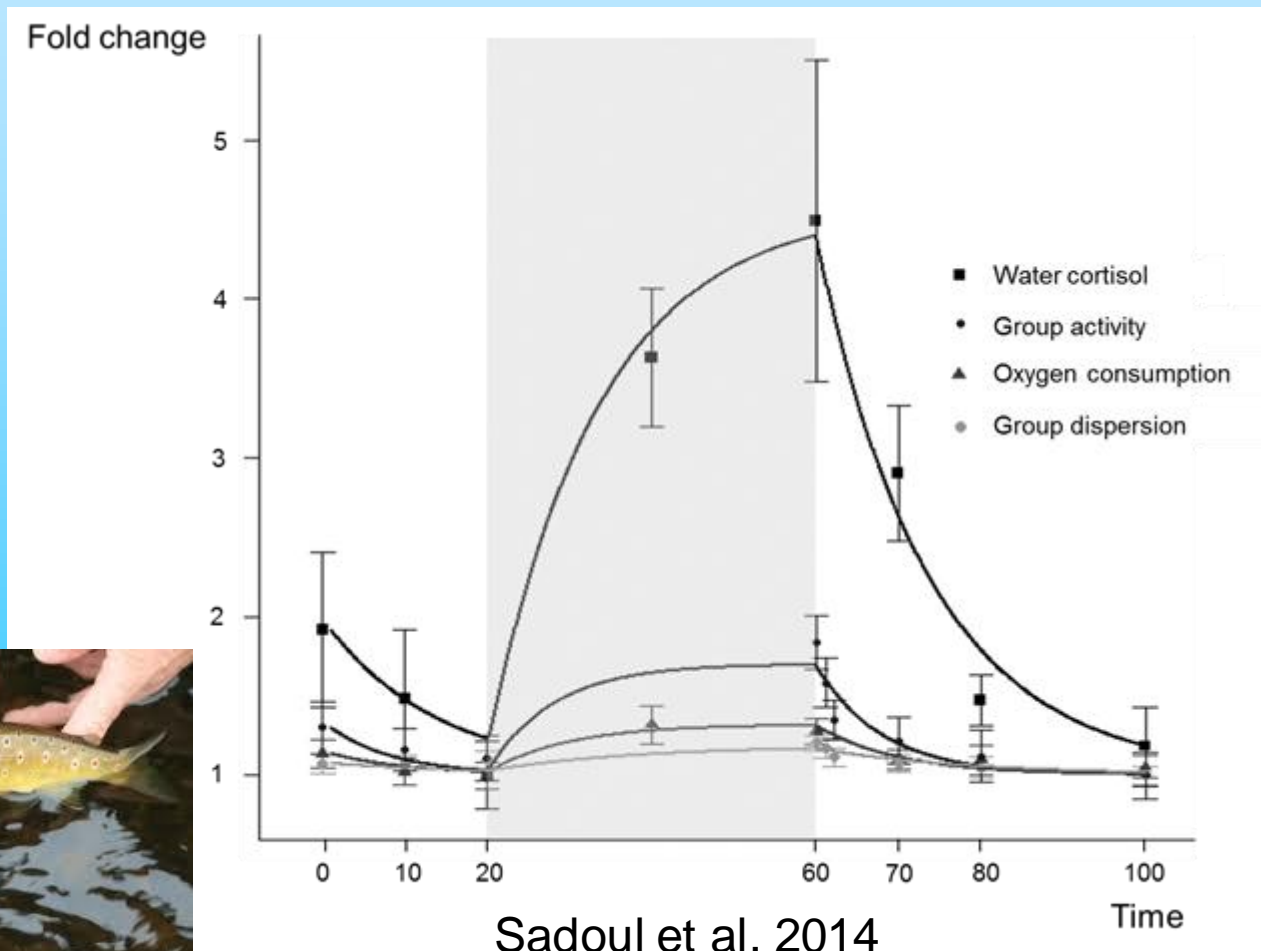
Towards Precision Phenotyping

- The above examples are generalisable representations of biological systems. e.g:

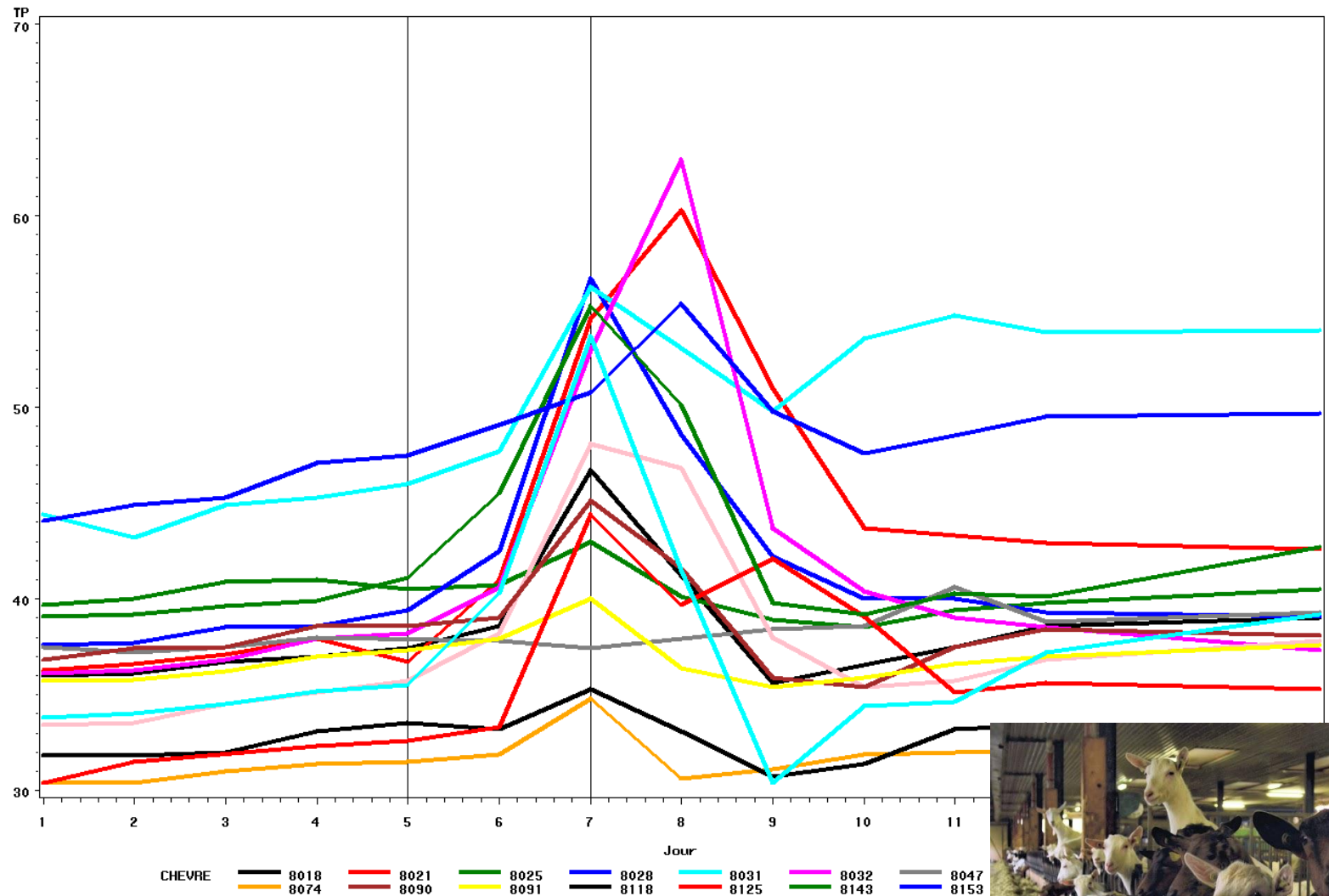


Towards Precision Phenotyping

- The above examples are generalisable representations of biological systems



Individual responses in milk protein content



(Friggens et al. 2015)

Towards Precision Phenotyping

- The above examples are generalisable representations of biological systems
 - Hierarchy of functions
 - Time-linked (state-space systems)



Hierarchy of functions

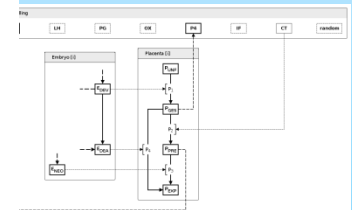
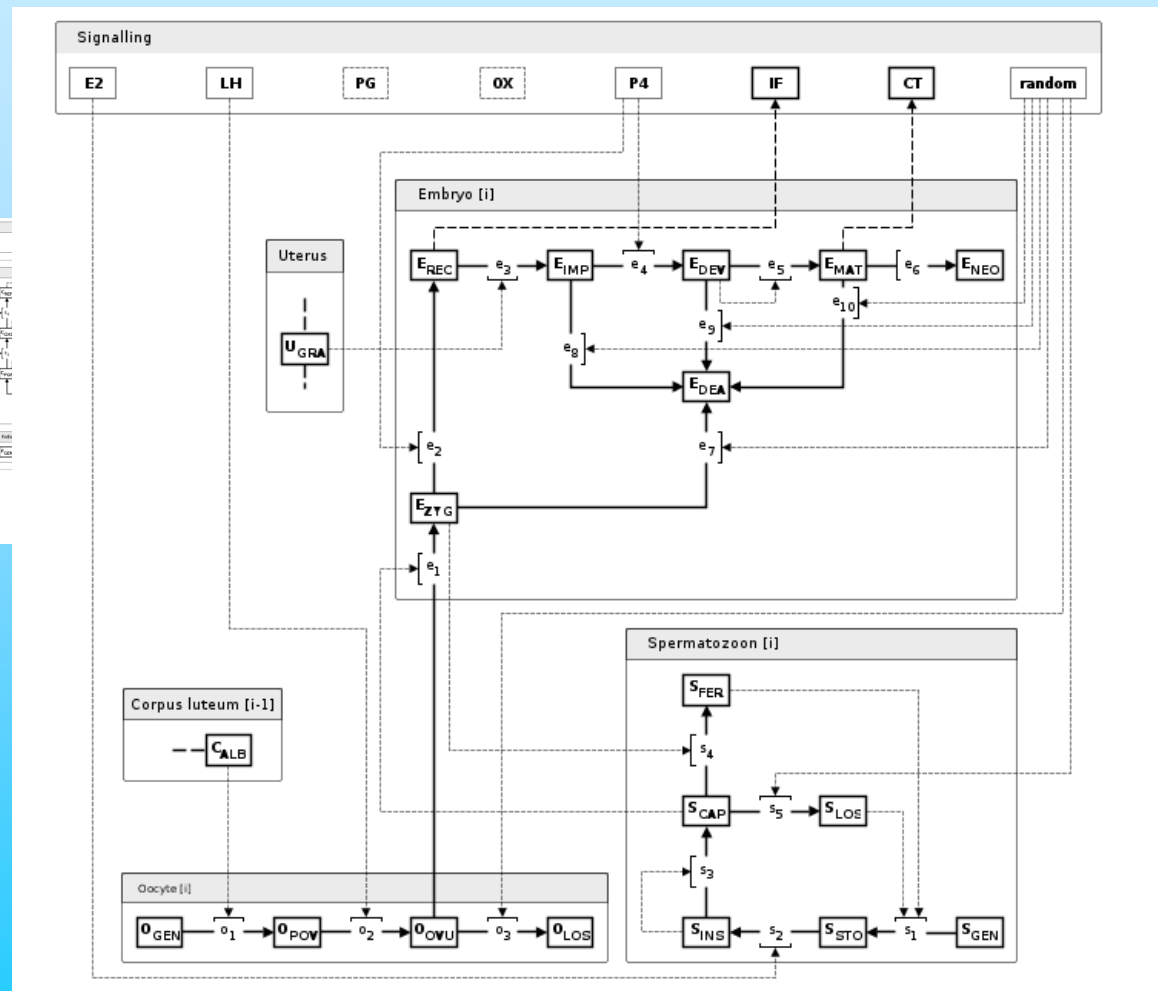
- Especially important when there is no direct (or useful) measure of the target trait
 - e.g. Robustness
 - Need operational definitions of robustness
 - If we cannot measure (some index of) robustness, we're not going to make much progress with phenotyping it!
- Which measures are biologically relevant for a given level
 - Combine to create an index of a higher function

Which measures are biologically relevant?

Towards new robustness phenotypes

- Define phenotypes from consideration of their biological properties and not just from available measures.
- Systemic view needed to do this
 - e.g. hierarchy of functions
 - But can go further
- Exploratory example: “reproductive robustness”

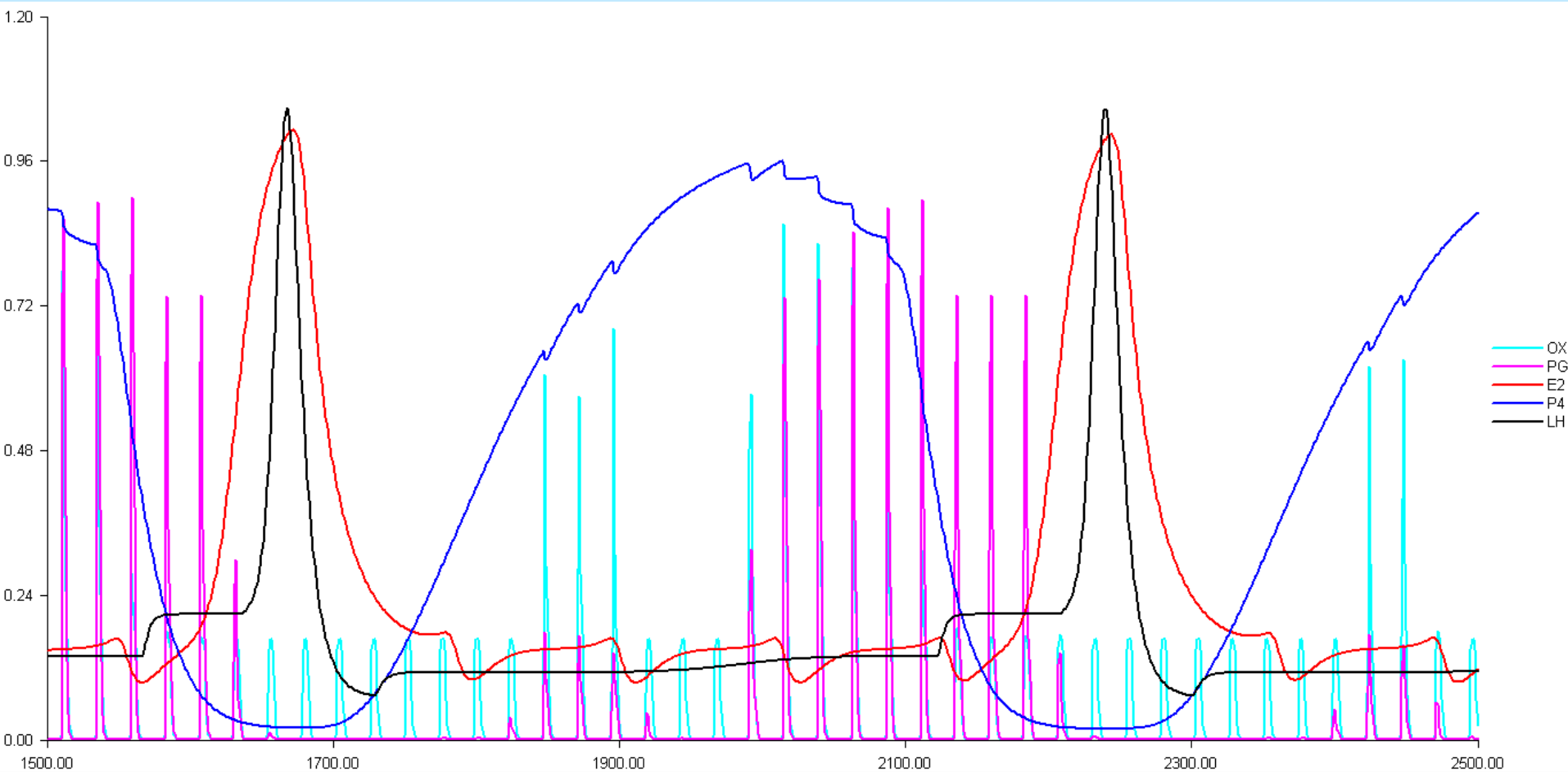
A systemic reproductive physiology model



(Martin et al 2014)

Model simulations :

realistic hormonal profiles



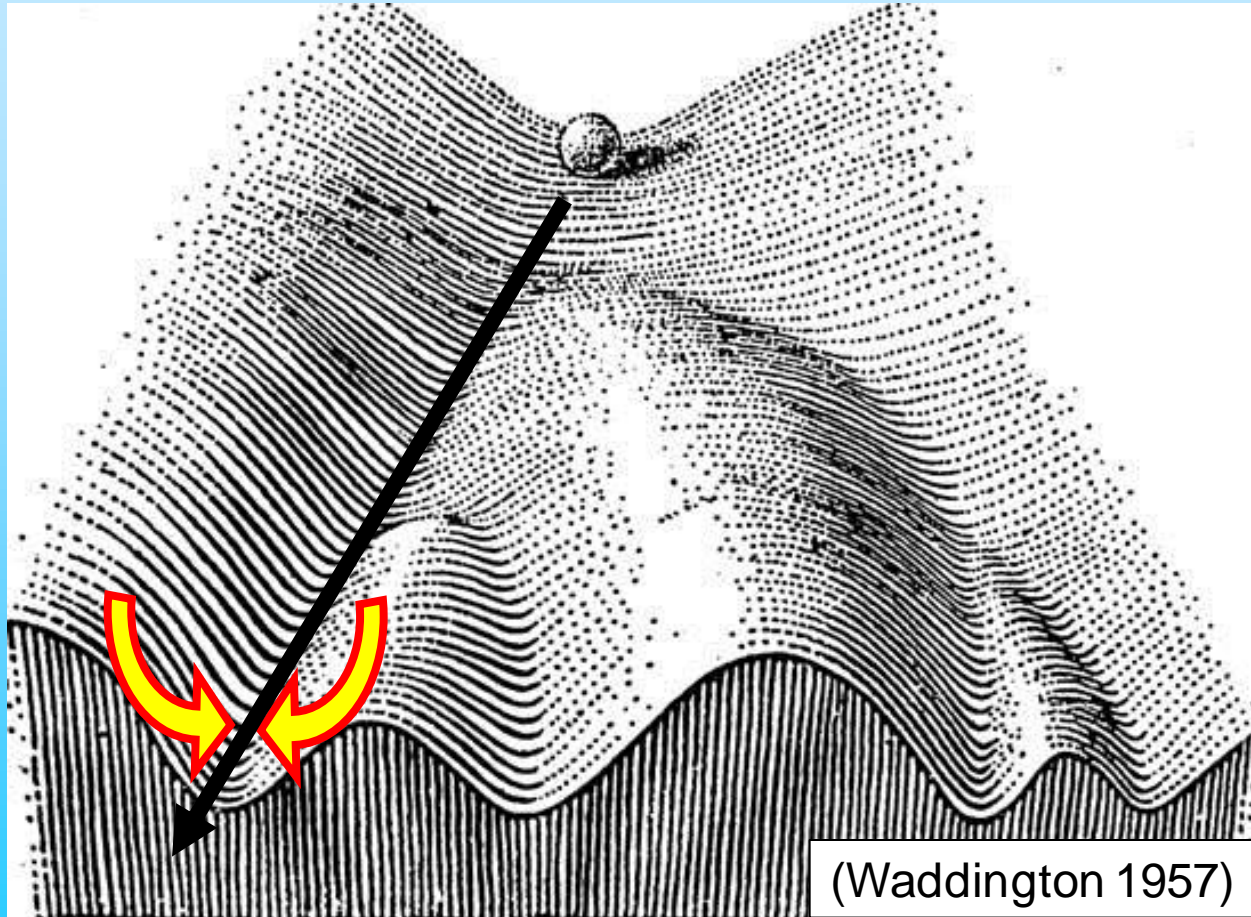
Example: Reproductive Robustness

- Major factors that influence fertility are known (milk yield, energy balance, etc.)
- Far from clear which reproductive physiology mechanisms are impacted
- Systemic models of reproductive physiology can identify likely mechanisms that are implicated in abnormal profiles (Boer *et al.*, 2012)
- Opens the door to target key robustness mechanisms, and relevant biomarkers

Towards Precision Phenotyping

- The above examples are generalisable representations of biological systems
 - Hierarchy of functions
 - Time-linked (state-space systems)
- Need to describe the underlying unperturbed, system
 - Not constant through time
 - Varying baseline for adaptive responses
 - Varying adaptive capacity

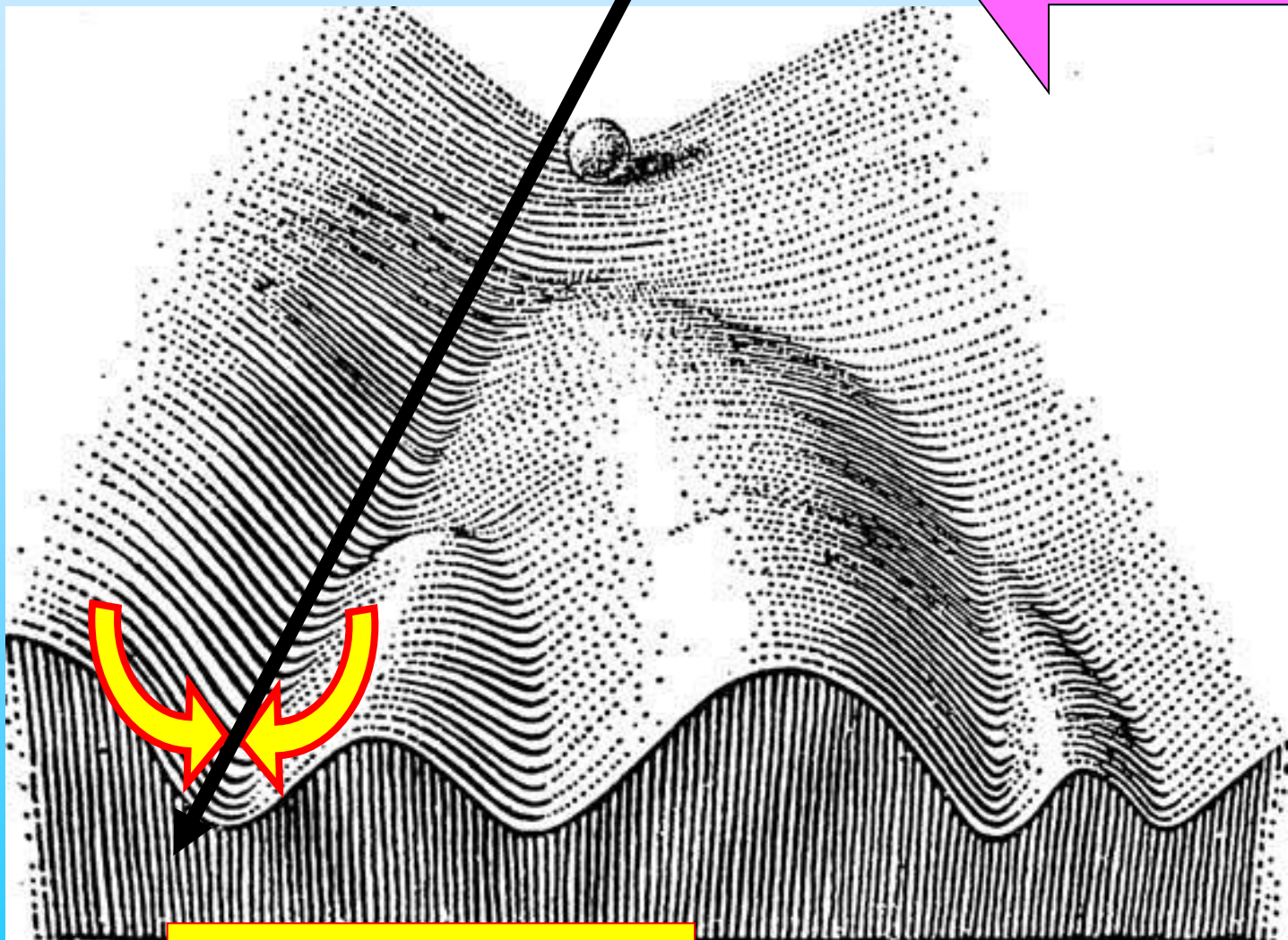
Influence of physiological state/age on adaptive capacity



Systemic considerations: the difference between homeorhesis and homeostasis

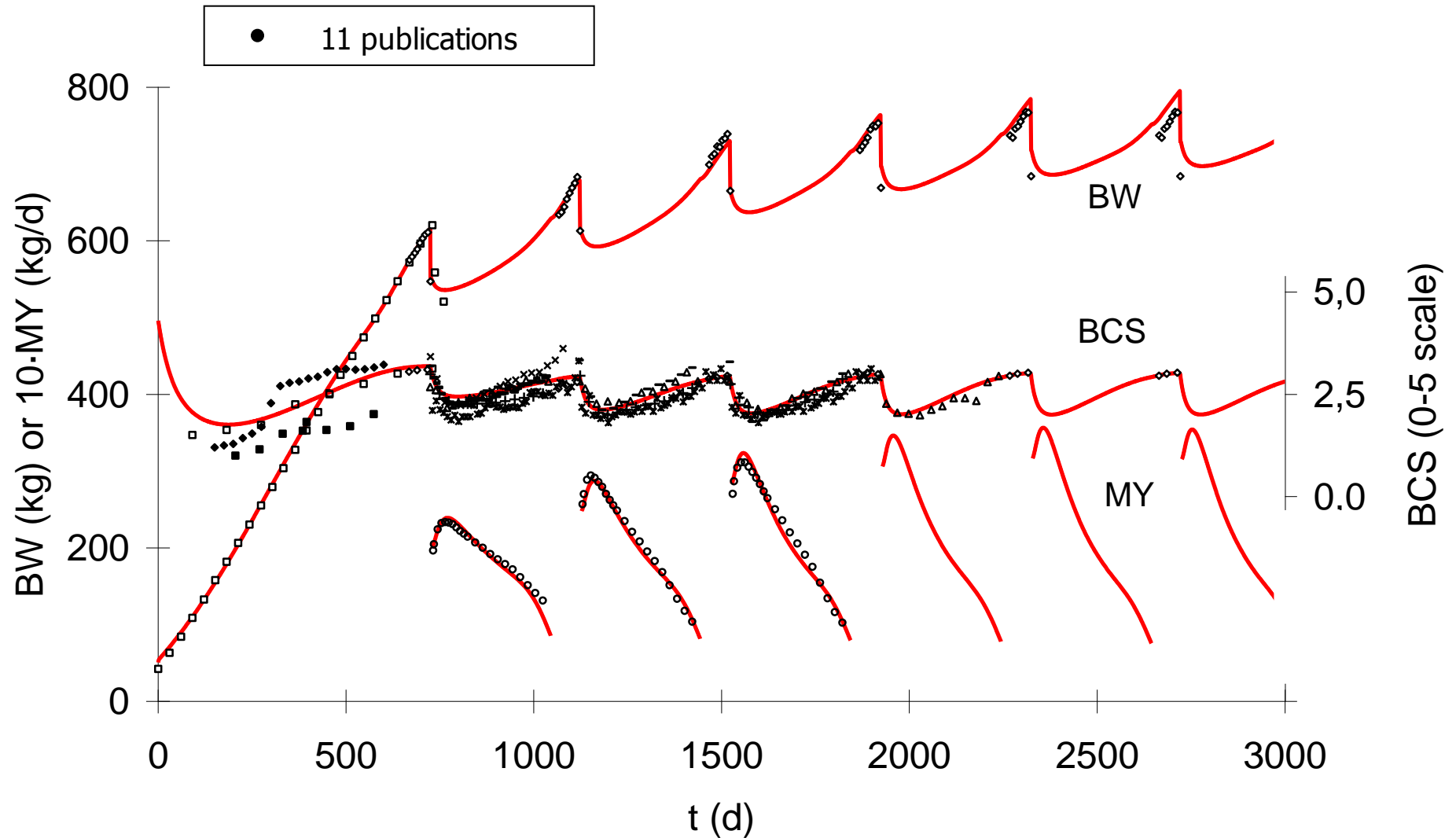
**Normal, unperturbed
trajectory**

We can do this:
- Genotypes
- Environments

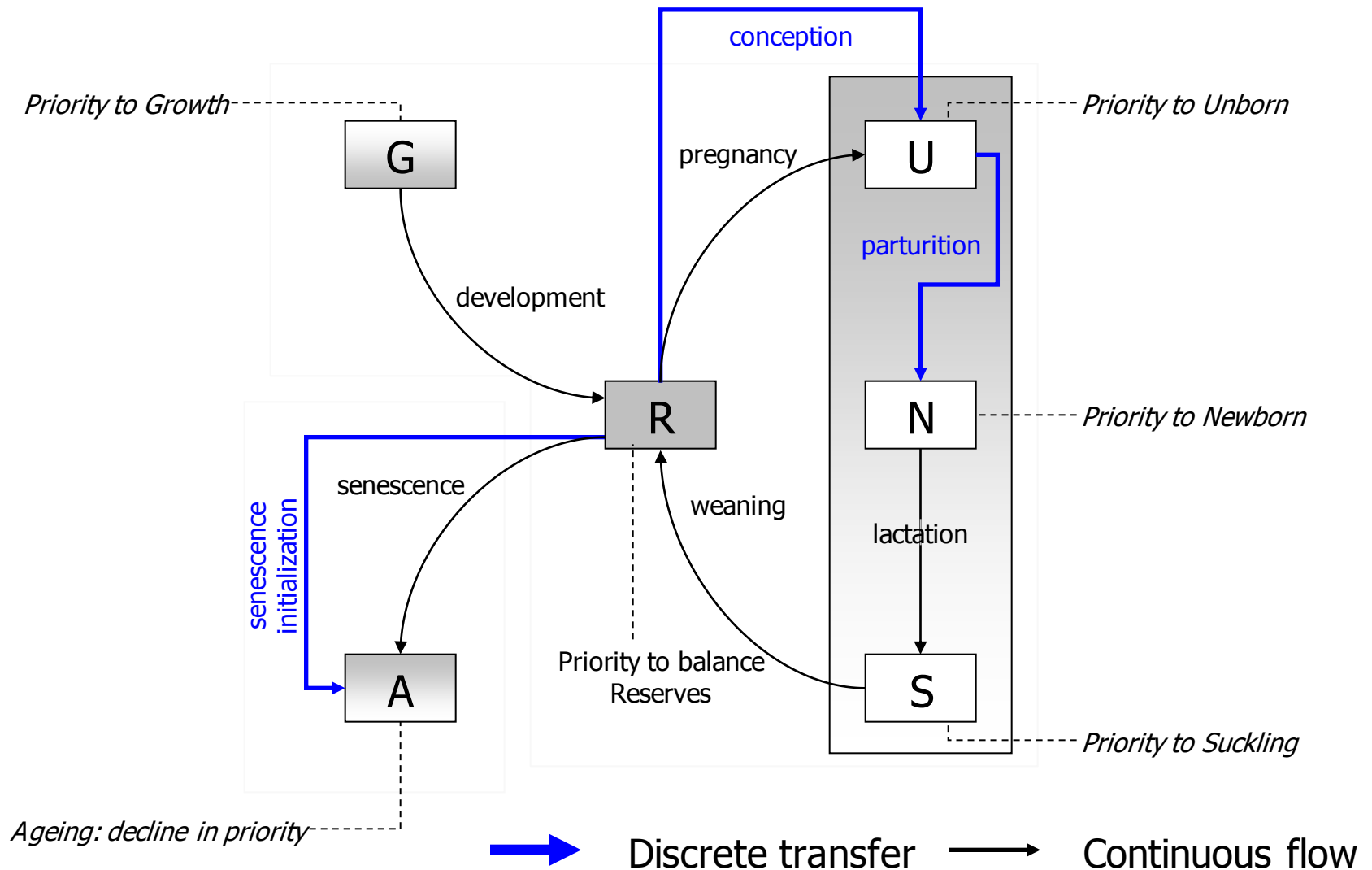


Adaptive capacity

Predicted vs observed trajectories

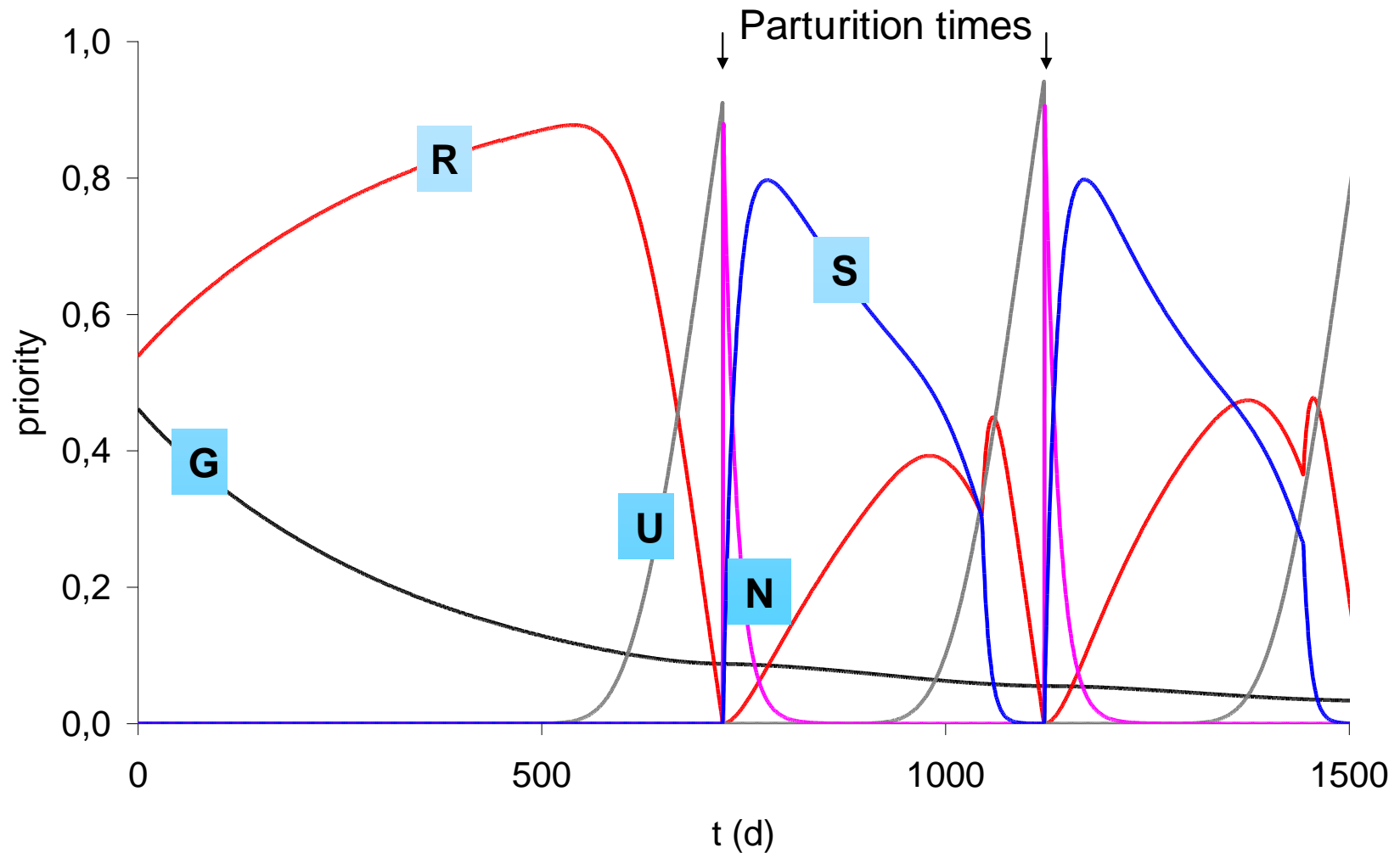


Teleonomic model of nutrient partitioning (Martin and Sauvant, 2010)



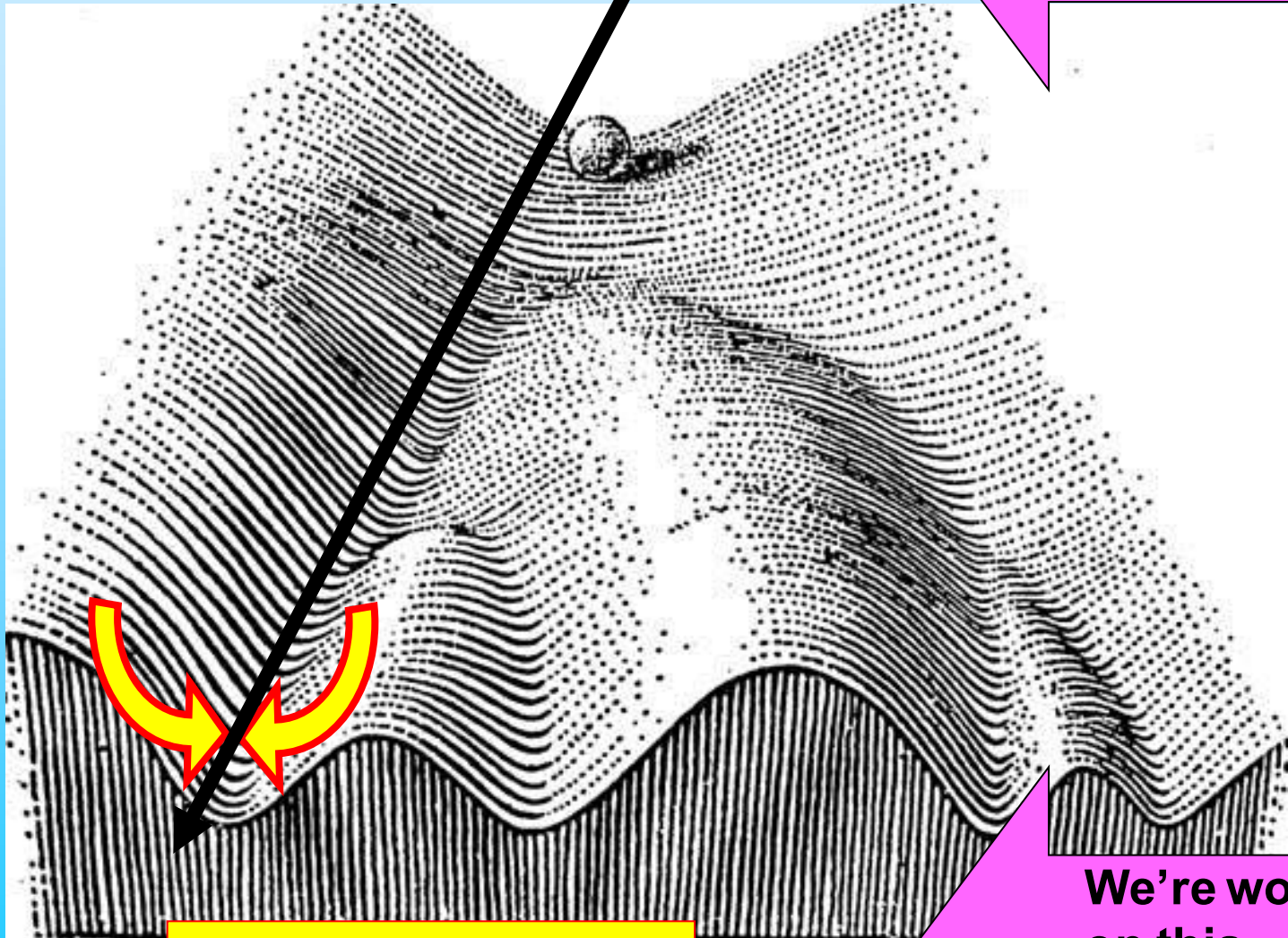
Relative priorities

(Martin and Sauvant, 2010)



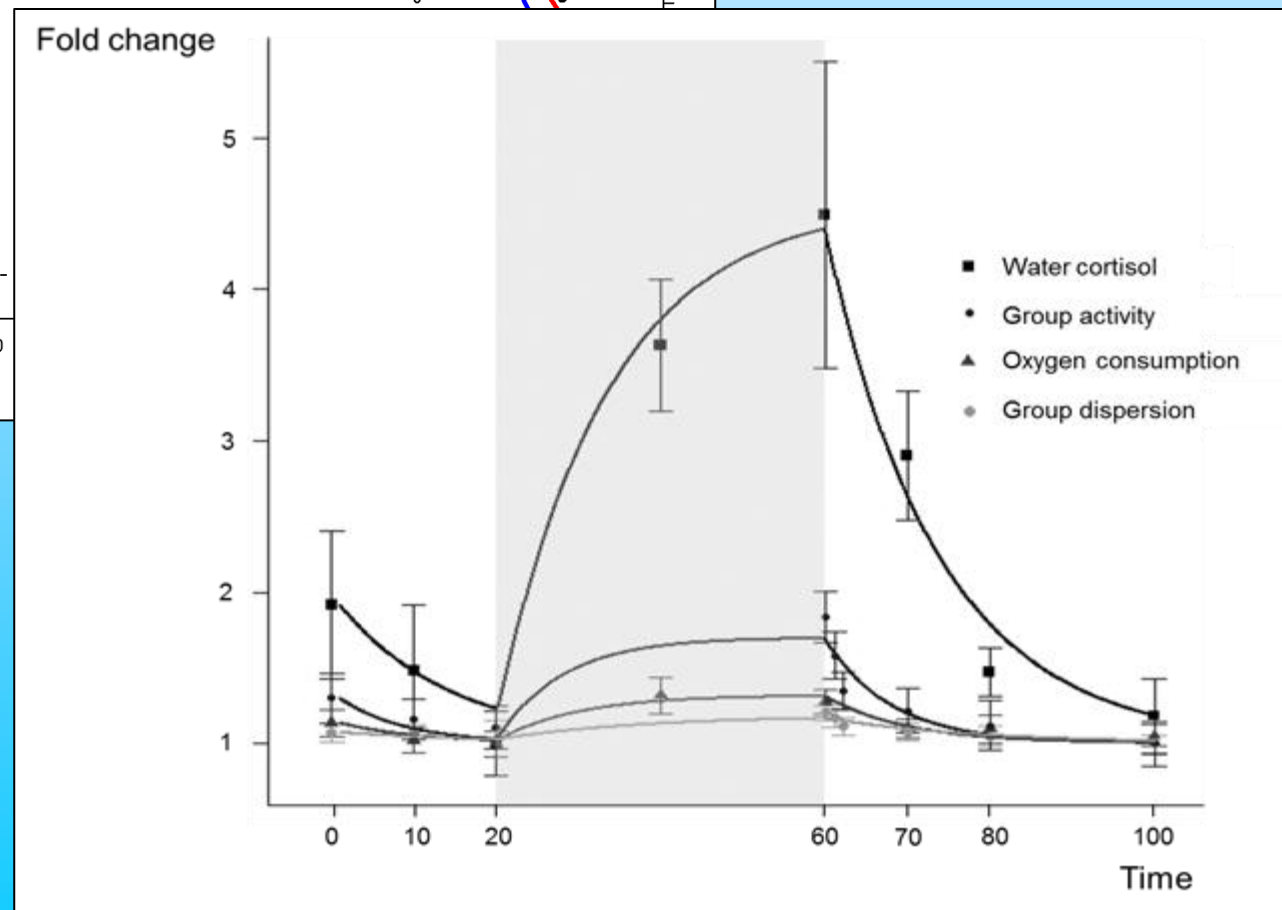
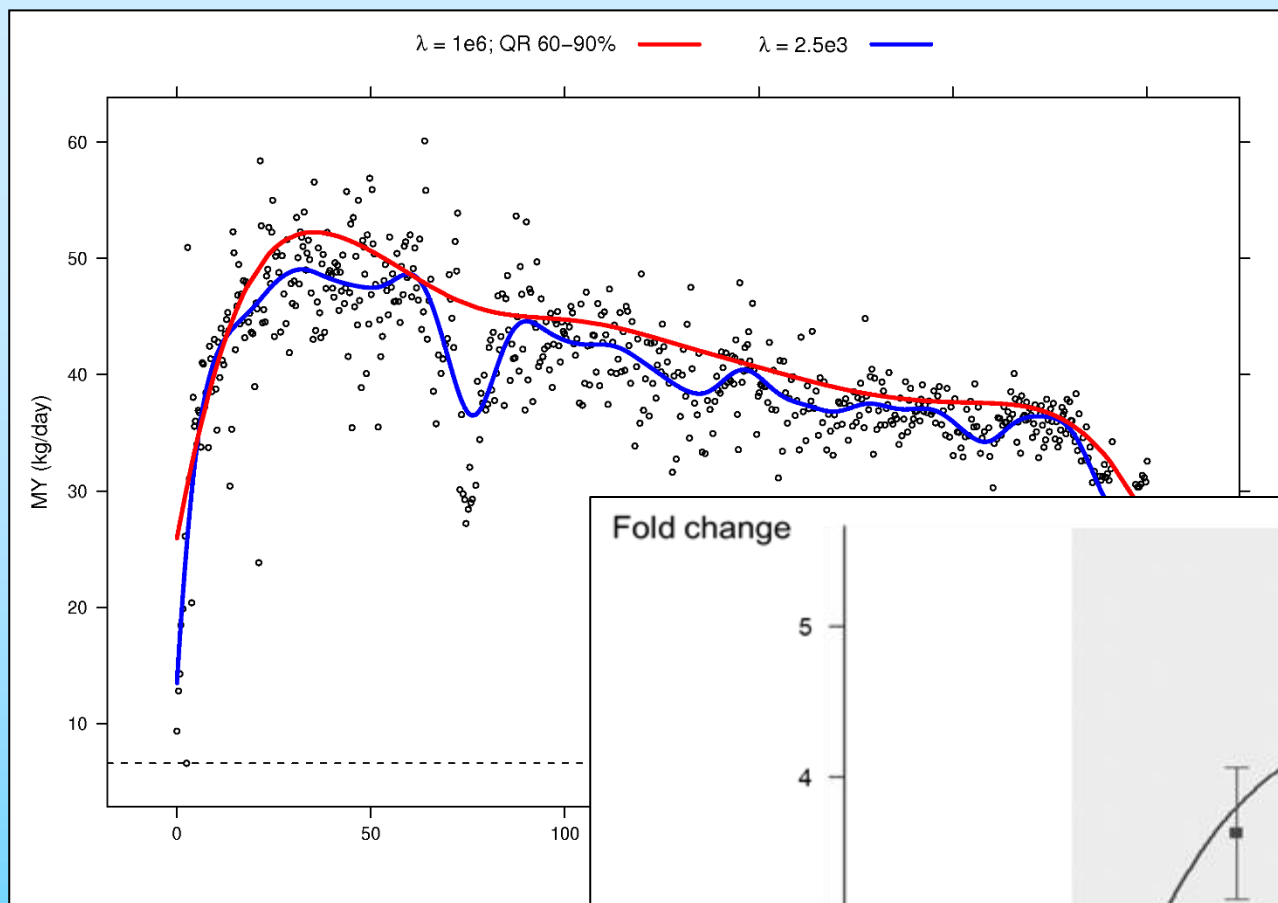
**Normal, unperturbed
trajectory**

We can do this:
- Genotypes
- Environments



Adaptive capacity

**We're working
on this....
very little data**



Towards understanding and exploiting the temporal aspects of robustness

- Dynamic of response to an environmental challenge (amplitude, rate of recovery, etc)
 - reflects the size of the challenge and the animals adaptive capacity
- Influence of physiological state/age on adaptive capacity
- Dynamic of any acclimation processes

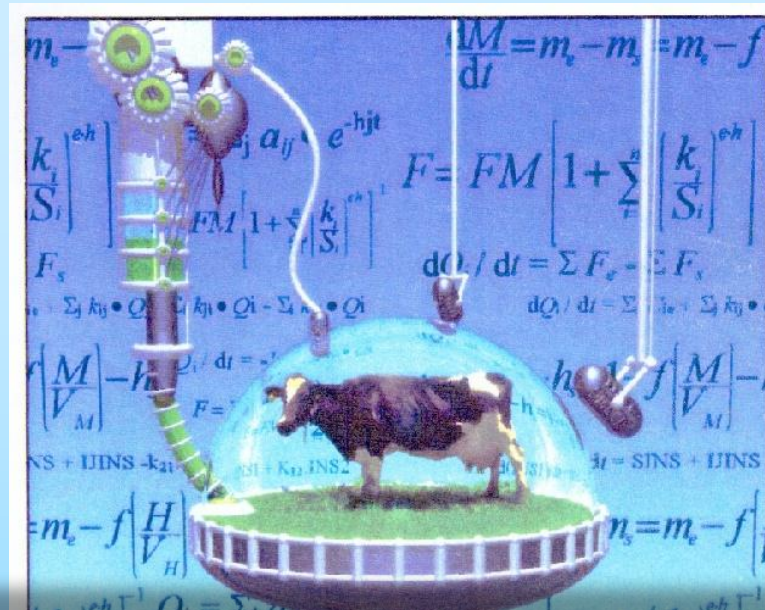
Relative contributions and the factors that affect them?



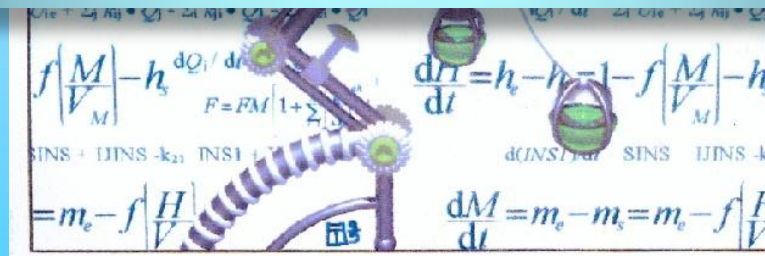
Conclusions:

Systemic considerations

- Add value to time-series measures of biological indicators by feature extraction and combination across measures
- Provide means to improve description of animal states and thereby allow precision phenotyping of complex traits



Thank you for your attention

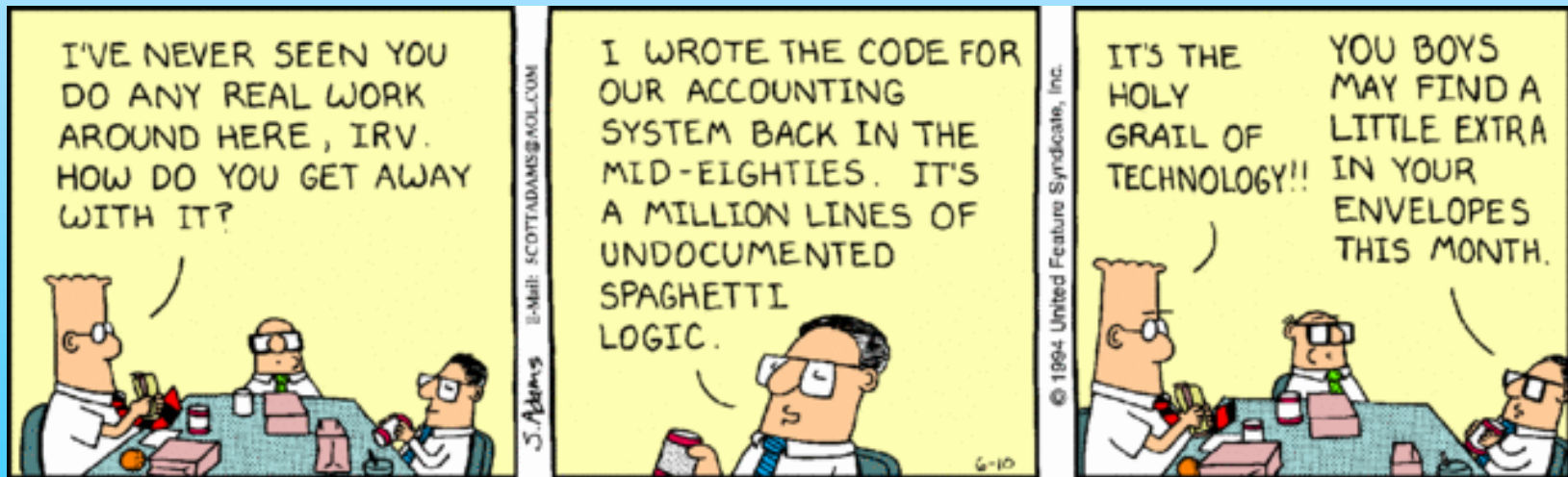


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In collaboration with:

Søren Højsgaard, Marius Codrea, Bastien Sadoul

The only good reason to avoid systemic modelling



Differential smoothing – milk yield

(Codrea et al 2011)

$$F(c) = \sum_j [y_j - x(t_j)]^2 + \lambda \int [D^4 x(t)]^2 dt$$

$$x(t) = c\phi(t)$$

c = coefficients

ϕ = set of basis

functions: **B-spline**

λ controls the
roughness penalty
(curvature in the 2nd
derivative of x)

(Ramsay and Silverman 2005)

DOI example (Højsgaard and Friggens 2010): further details

- Time-dependency:

$$\beta^k(t_j) = \beta^k(t_{j-1}) + w(t_j), \quad \text{where } w(t_j) \sim N(0, W)$$

- Same for trend in DOI
- Linear state-space model
- Estimate: λ^k , covariance matrix for v^k
- Factor analysis on healthy population
- 2 variance parameters W